

**Corrections to Chaganty (2003), JSPI, pp. 123-139.**

1. Page 131, lines 8-11 should read:

It is interesting to note that the Eq. (20) *resembles* the optimal unbiased estimating equation in the sense of Godambe (1960) for estimating the correlation parameter  $\alpha$ , because under the normality assumption we have  $E(\text{vec}(\bar{\mathbf{U}})) = \sigma^2 \text{vec}(\mathbf{R}(\alpha))$  and

$$\text{Cov}(\text{vec}(\bar{\mathbf{U}})) = (\sigma^4/n) (\mathbf{I}_{p^2} + \mathbf{I}_{(p,p)}) \mathbf{R}(\alpha) \otimes \mathbf{R}(\alpha).$$

2. Page 138, Eq. (A.1) should be

$$\text{vec}(\bar{\mathbf{U}}) \text{ is } N \left( \sigma^2 \text{vec}(\mathbf{R}(\alpha)), \frac{\sigma^4 (\mathbf{I}_{p^2} + \mathbf{I}_{(p,p)}) \mathbf{R}(\alpha) \otimes \mathbf{R}(\alpha)}{n} \right) \quad (\text{A.1})$$

where  $\mathbf{I}_{p^2}$  is the identity matrix of order  $p^2 \times p^2$ , and  $\mathbf{I}_{(p,p)}$  is the permuted identity matrix of order  $p^2 \times p^2$  given by

$$\mathbf{I}_{(p,p)} = \begin{pmatrix} E'_{11} & \cdots & E'_{1p} \\ \vdots & \ddots & \vdots \\ E'_{p1} & \cdots & E'_{pp} \end{pmatrix}$$

where  $E_{jk}$  is a  $p \times p$  matrix of zeros except for the  $(j, k)$ th element which equals one. See (1.5.24) of Vonesh and Chinchilli (1997, p. 22).